

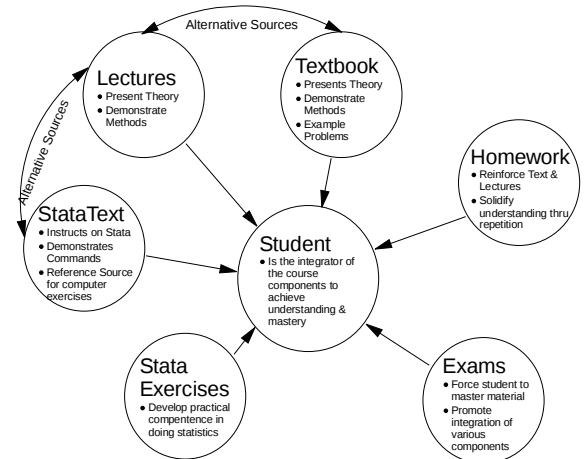
Economics 400

Professor Boone A. Turchi (Tur'shee)

"There are three kinds of lies--lies, damned lies and statistics"

Mark Twain, Autobiography

Components of the Economics 400 Course



Tips for Doing Well in Econ 400:

- Keep up with the readings & lectures.
- Do the assigned problems religiously -- hey, do even more! I generally assign odd-numbered book problems (*i.e.*, those without answers in book). Use even-numbered problems (answers at end of book) to get clues.
- Recopy your lecture notes, integrating text & other material
- Use my and the TA's office hours
- Take the computer exercises seriously and don't wait until the last minute to do them

Basic Concepts:

Population: is the set of *all* relevant objects for the problem under analysis.

Sample: is some part of the population which we use to make *inferences* about the population as a whole

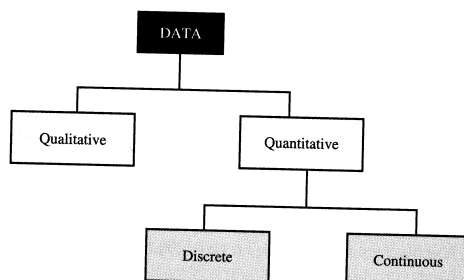
3 elements in the study of statistics:

- ✓ Describe available data using **descriptive techniques**
- ✓ Use **probability theory** as a framework for data analysis
- ✓ Use **statistical inference** to make inferences about unknown populations

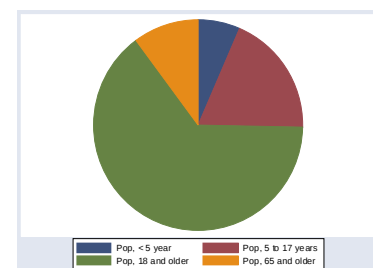
Why sample?

- ✓ Limited resources
- ✓ Limited data availability
- ✓ Destructive testing

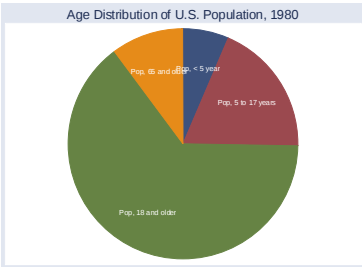
FIGURE 2.1
Types of data



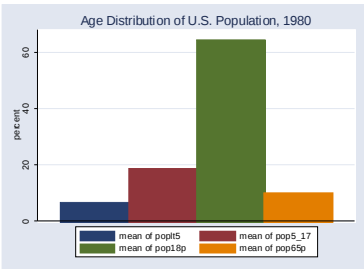
graph pie poplt5 pop5_17 pop18p pop65p



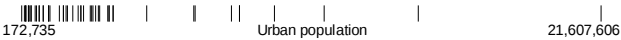
```
. graph pie poplt5 pop5_17 pop18p pop65p, plabel(_all name,
size(*1.0) color(white)) legend(off)
title("Age Distribution of U.S. Population, 1980")
```



```
graph bar poplt5 pop5_17 pop18p pop65p,
title("Age Distribution of U.S. Population,
1980") percent
```



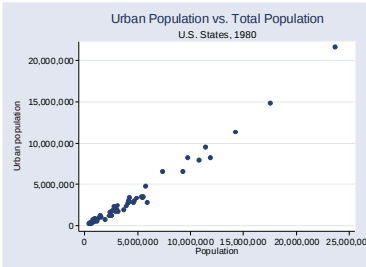
```
gr7 popurban, oneway
```



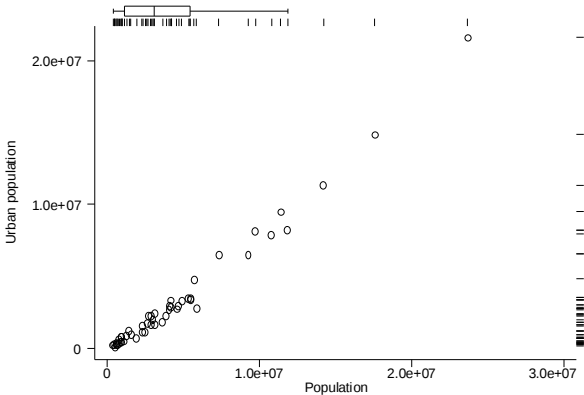
```
gr7 popurban, oneway box
```



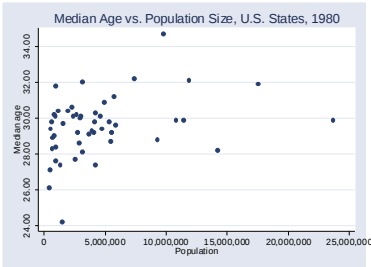
```
twoway (scatter popurban pop), ylabel(, angle(horizontal))
title(Urban Population vs. Total Population) subtitle("U.S.
States, 1980")
```



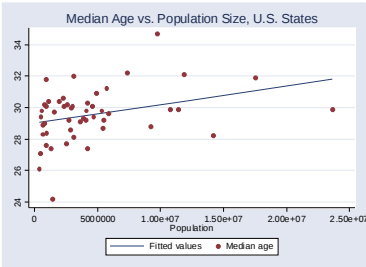
```
gr7 popurban pop, twoway oneway box xlabel ylabel
```



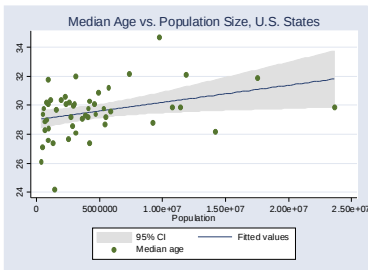
graph twoway scatter medage pop, title("Median Age vs. Population Size, U.S. States, 1980")



graph twoway (lfit medage pop) (scatter medage pop), title("Median Age vs. Population Size, U.S. States")



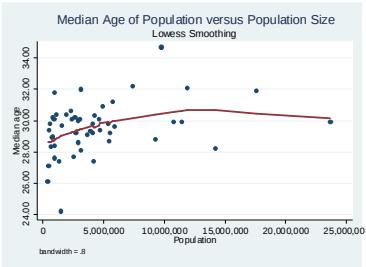
graph twoway (lfitci medage pop) (scatter medage pop), title("Median Age vs. Population Size, U.S. States")



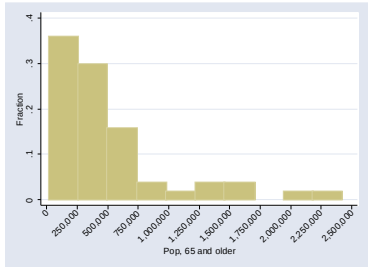
Source	SS	df	MS	Number of obs = 50		
Model	15.2464213	1	15.2464213	F(1, 48) = 5.84		
Residual	125.273564	48	2.60986591	Prob > F = 0.0195		
Total	140.519985	49	2.8677548	R-squared = 0.1085		
				Adj R-squared = 0.0899		
				Root MSE = 1.6155		

medage	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
pop	1.18e-07	4.89e-08	2.42	0.019	1.99e-08	2.17e-07
_cons	29.00548	.3179694	91.22	0.000	28.36616	29.6448

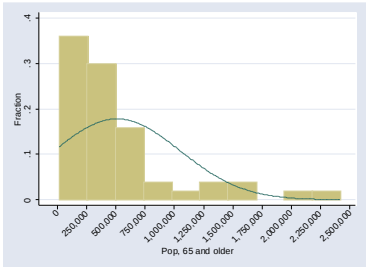
lowess medage pop, lineopts(lwidth(thick)) title(Median Age of Population versus Population Size) subtitle(Lowess Smoothing)



graph twoway histogram pop65p, fraction bin(10) xlabel(0 (250000) 2500000,angle(45))



histogram pop65p, fraction bin(10) xlabel(0 (250000) 2500000,angle(45)) norm



NB: Superimposing a normal curve over a histogram must be done with the "histogram" command, not the "graph twoway histogram" command, which cannot superimpose normal or kernel densities

stem marriage

Stem-and-leaf plot for marriage (Number of marriages)

```

0**** | 4437,5226,5361,6094,6888,7490,8336,8800,9251
1**** | 1856,2040,3428,4239,6641,6958,7391
2**** | 3004,4847,6048,6513,7474,7908
3**** | 0223,2727,4917,7641
4**** | 1111,3460,6273,6278,6500,6718,7728,9018
5**** | 3915,4625,5794,7853,8175
6**** | 0210
7**** | 0638
8**** | 6090
9**** | 3673,9832
10**** | 8344,9623
11**** | 4333
12**** |
13**** |
14**** | 4518
15**** |
16**** |
17**** |
18**** | 1762
19**** |
20**** |
21**** | 0864
  
```

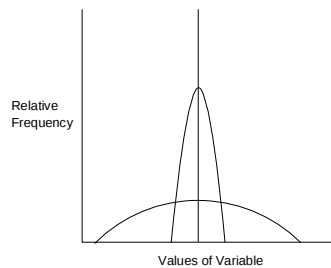
6,094

17,391

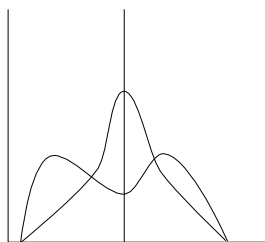
59,175

109,823

210,864



Relative Frequency



Values of Variable

. summarize mpg, detail

Percentiles		Smallest	Obs	Sum of Wgt.	Mean	Std. Dev.	Variance	Skewness	Kurtosis
5%	16.2	15.5	154	154	28.79351	7.37721	54.42323	-1.15888	2.135894
10%	17.5	16.2							
15%	19.1	16.5							
20%	22.4	18.9							
50%	28.9								
75%	34.3	44							
90%	38	44.3							
95%	40.5	46.5							
99%	44.8	46.8							

n = 154
mean = 28.8
s = 7.4

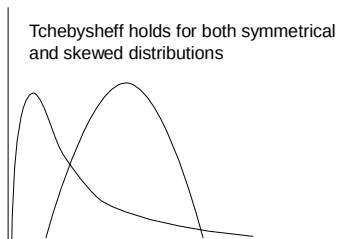
k	Tchebysheff Predicts	Actual
1.5	55.6%	89.6%
2	75%	97.4%

Miles per Gallon for 154 Cars: cardata.dta

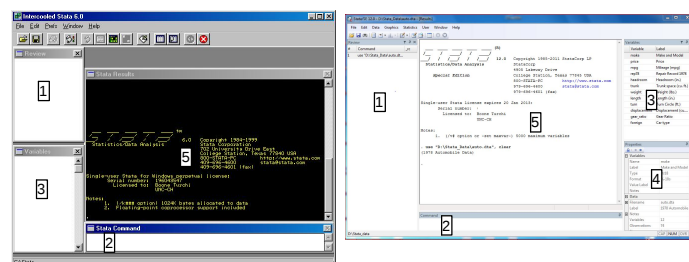


Knowing only the sample size, the mean and the standard deviation, one can conservatively predict the percentage of observations within k standard deviations of the mean using **Tchebysheff's Theorem**

Relative Frequency



Values of Variable

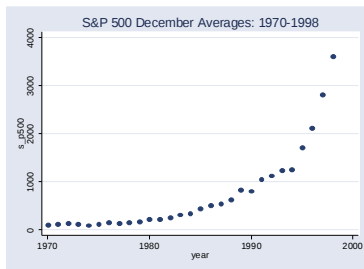


Traditional Stata Window

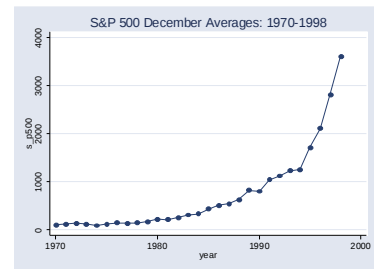
Stata Version 12 (& Later) Window

1. Review/Command Window: Lists previous session Commands
2. Stata Command Window: Enter a new command
3. Variables Window: Shows variables in the data set
4. Variable Properties Window: Shows properties of highlighted variable in Variables Window above.
5. Stata Results Window: Shows commands & results of commands

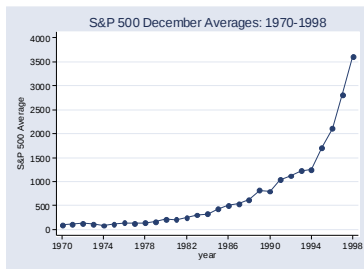
twoway scatter s_p500 year if(month==12), title("S&P 500
December Averages: 1970-1998")



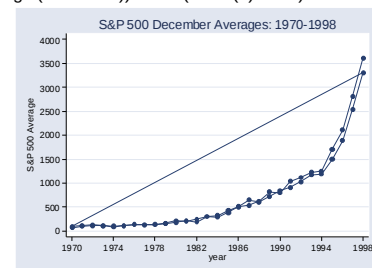
twoway scatter s_p500 year if(month==12), title("S&P 500
December Averages: 1970-1998") c(l)



twoway scatter s_p500 year if(month==12),
title("S&P 500 December Averages:
1970-1998") c(l) ylabel(0 (500) 4000,
angle(horizontal)) xlabel(1970 (4) 1998)



twoway connected s_p500 year
if(month==12|month==6), title("S&P 500 December
Averages: 1970-1998") ylabel(0 (500) 4000,
angle(horizontal)) xlabel(1970 (4) 1998)



year	men	women	total
1986	10.5	5.6	16.1
1987	10.2	5.8	16
1988	10.1	5.9	16
1989	9.8	6	15.8
1990	9.8	6.2	16
1991	9.8	6.4	16.2
1992	9.5	6.8	16.3

Graphing two time
series variables versus year.

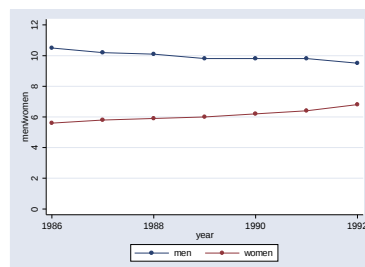
Try the following exercise:

- Start Stata and open the Data Editor
- Type in the 4 columns of data as shown
- Rename each variable from var1, etc. (Type "help rename" in the command line to see how to do this)
- Create the graph using command below
- Using the EC70tp.dot template submit a graph and the command used to create it.
- In particular, write a short paragraph explaining how "ylabel" & "xlabel" work in order to produce the labelling of the 2 axes.

Exercise 2: Entering Data and Prettying Up Graphs (Revised Stata 10 Version)

Medical School Enrollment 1986 to 1992
(in Thousands)
(from Mendenhall, Beaver & Beaver, p. 63.)

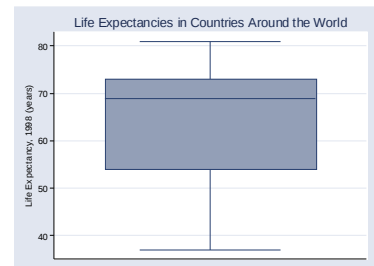
Data view from Stata's Data Editor



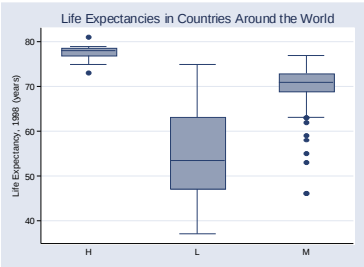
graph twoway connected men women year,
ylabel(0 2 to 12) xlabel(1986 1988 to 1992)

label variable le98 "Life Expectancy, 1998 (years)"

graph box le98, title("Life Expectancies in Countries
Around the World") ylabel(, angle(horizontal))



graph box le98, title("Life Expectancies in Countries Around the World") ylabel(, angle(horizontal)) over(inc)



filmcrev
2.65 minimum (Lower Whisker)
3.55
3.57
3.64
4.21
4.95
4.99
5.3
5.73 Quartile 1 (hinge)
5.77
6.5
7.03
7.24
8.08
8.8
8.99
11.3
12.9 Quartile 2 (median)
14.2
15.3
17.8
21.6
25.6
26 Quartile 3 (hinge)
27.1
28.7
32
37.5
40.4
42.1 Upper Whisker
50.5
113.8
220.8 Maximum

Stata Constructs Boxplots according to the following procedure:

The data are for a film studio and represent the studio's revenues for all the pictures that it produced in a 3-year period.

First, sort the data from smallest to largest grossing picture.

Film Revenues: Studio C

How to construct a boxplot:

- ✓ Compute the 5-number summary of the data: minimum, Quartile 1, Quartile 2, Quartile 3 Maximum
- ✓ Construct a box consisting of the middle quartiles
- ✓ Compute the **Interquartile range (IQR): Q3-Q1 = 20.27**
- ✓ Multiply 1.5 times IQR = 30.4
- ✓ Add 30.4 to Q3: 26+30.4=56.4
- ✓ Find the last **adjacent** value that is less than 56.4
- ✓ Draw the upper whisker to that adjacent value
- ✓ Subtract 30.4 from Q1: 5.73 - 30.4 = -24.7
- ✓ Find the lowest adjacent value that is greater than -24.7
- ✓ Draw the lower whisker to that adjacent value
- ✓ Any data points outside the whiskers are **outliers**.

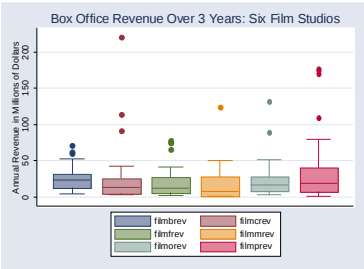
```
. summarize filmcrev, detail
```

Percentiles	Statistic
1%	2.65
5%	3.55
50%	12.9
95%	5.73
99%	5.73

Statistic	Mean	Std. Dev.	Sum of Spts.
Mean	20.50135		
Std. Dev.	40.75883		
Variance	1662.626		
Skewness	5.367693		
Kurtosis	16.60236		

graph box filmcrev, medtype(line) ytitle("Millions of Dollars") title("Film Revenues: Studio C")

graph box filmbrev filmcrev filmfrev filmmrev filmorev filmprev, ti("Box Office Revenue Over 3 Years: Six Film Studios") ytitle("Annual Revenue in Millions of Dollars")



```
. use "D:\stata\filmrevenue\data\film.dta", clear
. stack filmbrev filmcrev filmfrev filmmrev filmorev filmprev
+> s filmrev, add(statistics) clear wide

. summarize
```

Variable	Obs	Mean	Std. Dev.	Min	Max
_stack	481	5	2.584201	1	9
studios	304	25.5433	22.45495	1	9
filmbrev	17	28.82332	20.78413	4.1	71.2
filmcrev	17	25.58326	40.28325	2.65	220.8
filmfrev	17	21.28889	21.69755	1.38	77.4
filmmrev	17	17.17585	23.79215	1.82	54.4
filmorev	17	24.430	27.86467	2.35	101.1
filmprev	17	28.1073	44.72881	.46	176.4
Sum of Spts.	28	24.8875	28.46868	86	304
Mean	38	25.27421	33.81648	2.24	288.1
Std. Dev.	49	29.98776	38.1359	1.48	145.1

```
. describe
```

Contains data
obs: 481
vars: 13
size: 37,828 (95.0% of memory free)

```
. vrange
```

variable name	type	format	label	variable label
_stack	int	%10.0g		
studios	double	%10.0g		
filmbrev	double	%10.0g		
filmcrev	double	%10.0g		
filmfrev	double	%10.0g		
filmmrev	double	%10.0g		
filmorev	double	%10.0g		
filmprev	double	%10.0g		
Sum of Spts.	double	%10.0g		
Mean	double	%10.0g		
Std. Dev.	double	%10.0g		
Variance	double	%10.0g		
Skewness	double	%10.0g		
Kurtosis	double	%10.0g		

```
. Sorted by:
Note: Dataset has changed since last saved
graph box studios, t1("Box Office Revenue Over 3 Years: Nine Film Studios")
ytitle("Annual Revenue in Millions of Dollars")

. summarize studios, detail
```

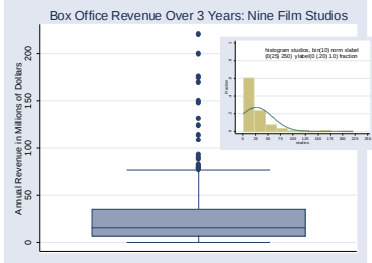
Percentiles	Statistic
1%	1.00
5%	2.34
50%	2.34
95%	7.24
99%	7.24

Statistic	Mean	Std. Dev.	Sum of Spts.
Mean	25		
Std. Dev.	17.5		
Variance	306.25		
Skewness	1.1		
Kurtosis	1.00000		

Stacking variables to create a new variable that includes all the values from a set of other variables:

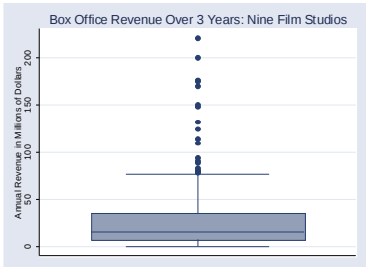
We start with a dataset, "film.dta" that has 9 variables, each of which shows the gross revenue from each picture produced by each of 9 film studios in a three year period.

We want to produce a boxplot that shows the distribution of gross revenues for all 9 studios. Use the stack command to concatenate all 9 variables ("filmbrev" through "filmwrev") into a new variable "studios". Note that "studios" has 304 non-missing values but the entire data set now has 441 rows. So, "studios" has 137 missing values.

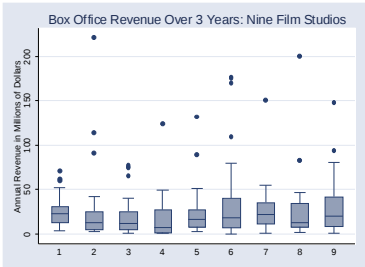


stack filmbrev filmcrev filmfrev filmmrev filmorev filmprev filmwrev, into(studios) clear wide

graph box studios, ti("Box Office Revenue Over 3 Years: Nine Film Studios") ytitle("Annual Revenue in Millions of Dollars")

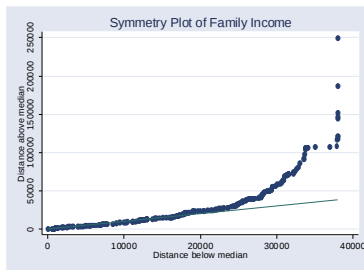


graph box studios, ti("Box Office Revenue Over 3 Years: Nine Film Studios") ytitle("Annual Revenue in Millions of Dollars") over(_stack)

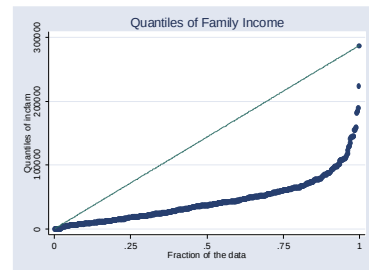


```
use
"D:\amifiles\econ70\lectures_2005\la_Introduction\pers75w_subs.dta",
clear
```

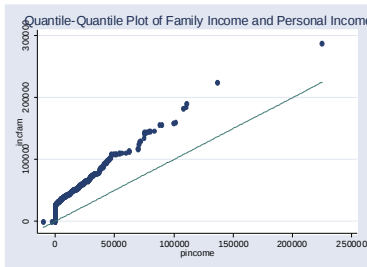
```
symplot incfam, ti("Symmetry Plot of
Family Income")
```



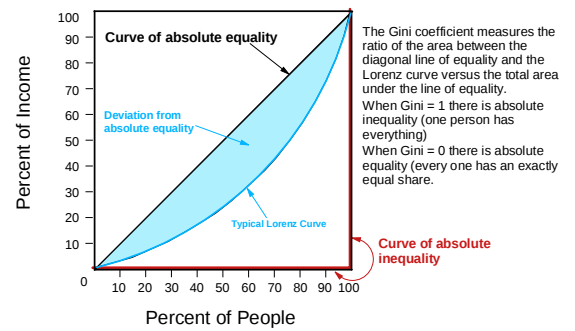
```
quantile incfam, ti("Quantiles of Family Income")
```



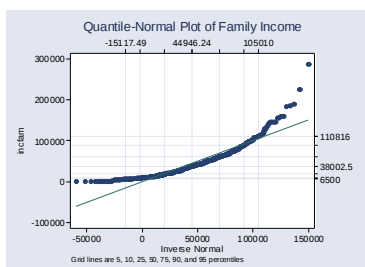
```
qqplot incfam pincome, ti("Quantile-Quantile
Plot of Family Income and Personal Income")
```



The Lorenz Curve As A Measure of Inequality

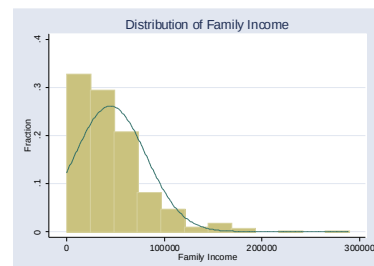


```
qnorm incfam, grid ti("Quantile-Normal Plot of Family Income")
ylab(, angle(horizontal) axis(1)) ylab(, angle(horizontal)
axis(2))
```

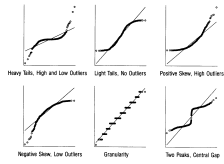


```
label variable incfam "Family Income"
```

```
. histogram incfam, bin(12) norm fraction
ti("Distribution of Family Income")
```



Interpreting the Quantile-Normal Plot



The quantile-normal figures illustrates how quantile-normal plots reflect distribution shape:

1. Heavy-tailed distributions are steepest at the top and bottom.
2. Light-tailed distributions are least steep at the top and bottom.
3. Skewed distributions have one heavy and one light tail. This gives plots of positively skewed distributions a downward-bowed appearance, like that of water used in Figure 1.5. Negatively skewed distributions bow upward.
4. Outliers appear as points toward the upper right or lower left, vertically separated from the rest of the distribution.
5. Granularity means that certain discrete values occur repeatedly in the data. These appear as plateaus separated by gaps.
6. Since less steep areas indicate higher-than-normal data density, two less-steep areas separated by a gap or steep climb (lower-than-normal density) indicate that the distribution has two peaks (is bimodal).

Professor B. Turchi